

# Generic Search Algorithm and examples

CS 480

Intro to Artificial Intelligence

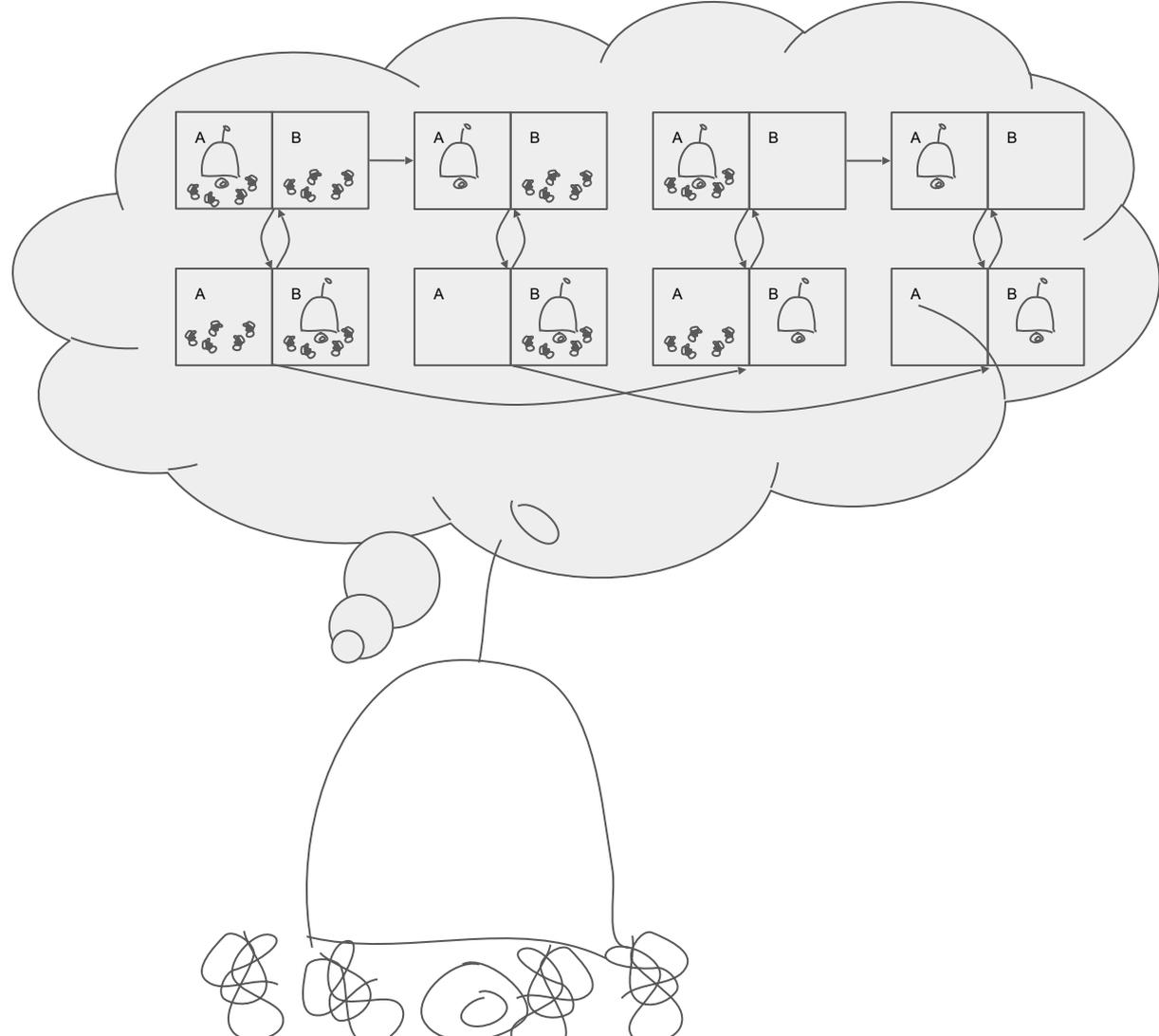
# Recall

A Search Agent solves problems by

- Formulating a **state space** and **goal**
- Searching the state space until it has found a **sequence of actions** from the initial state to the goal
- **Executing** each action in turn

We know several ways of searching a state space

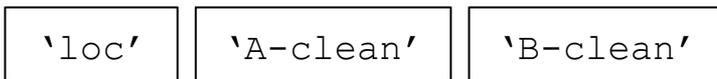
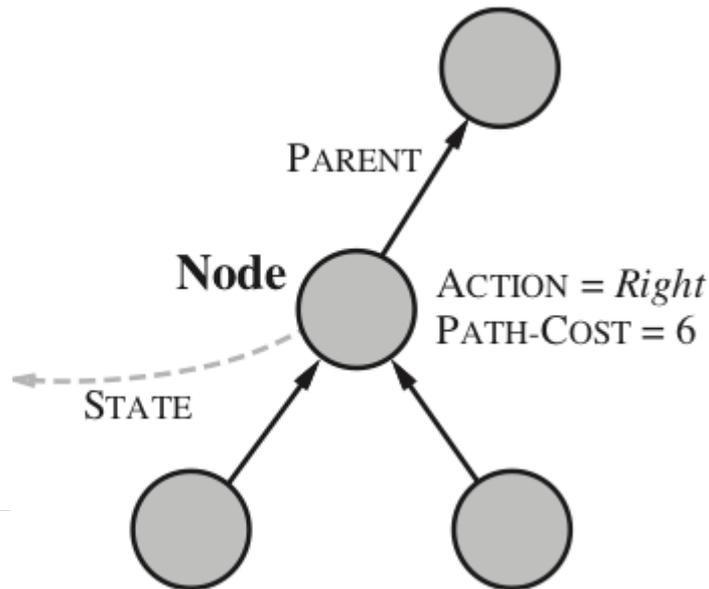
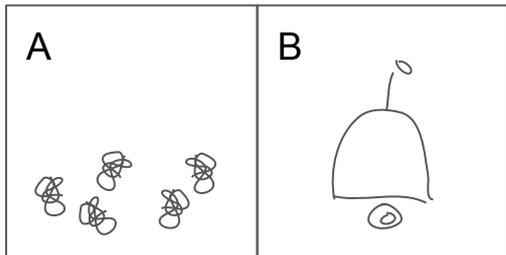
- Depth First Search
- Breadth First Search
- Uniform Cost Search



# Search Node data structure

We've looked at the state space in the abstract as states connected by actions, but we need some additional bookkeeping to implement our search

- Parent **node** (for backtracking)
- Transition **action**
- Cost of shortest known path from start to this state, **g**
- The actual **state**



```
node=dict()  
node['state'] = ('B', False, True)  
node['parent'] = parent_node #<-another node object  
node['action'] = 'Right'  
node['g'] = parent_node['g']+action_cost
```

# Generic Search Algorithm

```
Initialize 'current' node to start state
Initialize 'closed' as an empty list
Initialize 'open' as one of (stack, queue, priority queue)
while not( current['state'] is goal state):
    Add current['state'] to closed
    successors = successors of current['state']
    for s in successors:
        if not(s.state is in closed):
            Add new node for state to open
    current = next node in open that's not in closed
path = list()
while current has a parent:
    Add current['action'] to the front of path
    current = current['parent']
return path
```

# Generic Search Algorithm - notes

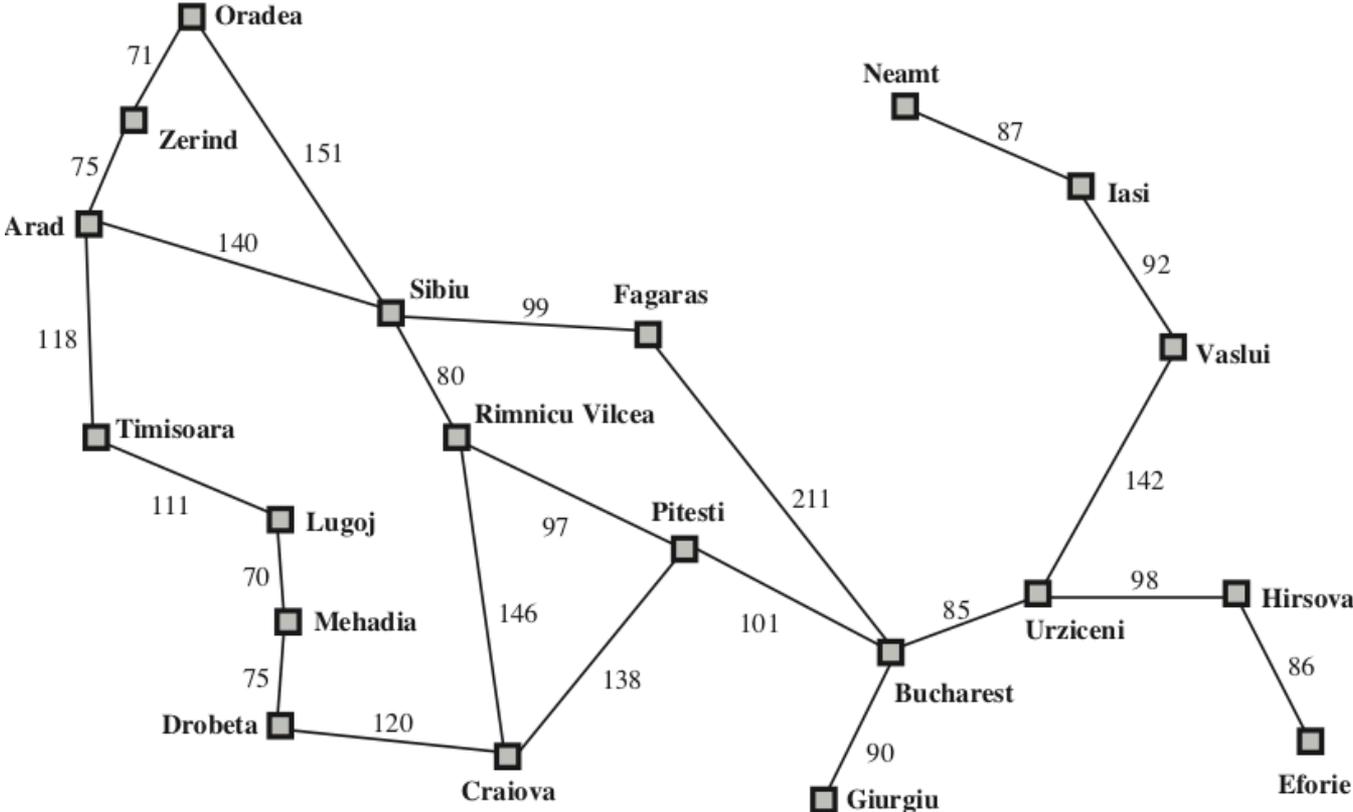
Can implement BFS, DFS, or UCS by picking the right data structure for `open`

- DFS: stack
- BFS: queue
- UCS: priority queue, with priority being `node[ 'g' ]`

This version is similar to the Graph-Search algorithm (Fig 3.7) in the text, with some minor changes

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return path
```

# Romania



# Romania - DFS

Current: Arad

Open: [S,T,Z]

Closed: [A]

Current: Sibiu

Open: [F,O,R,T,Z]

Closed: [A,S]

Current: Fagaras

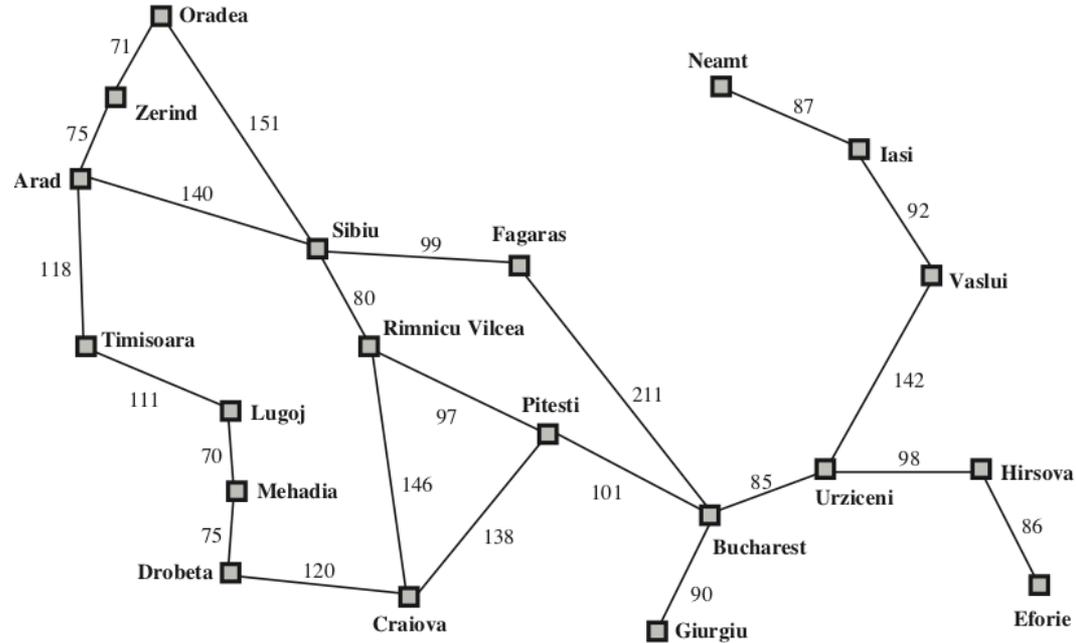
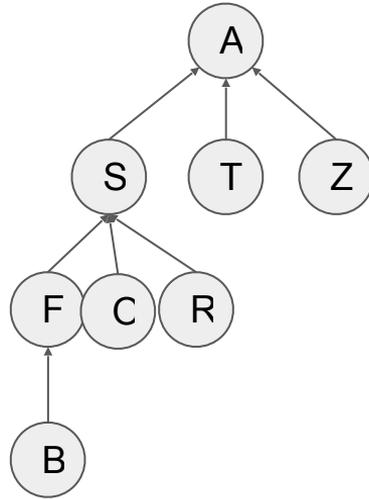
Open: [B,O,R,T,Z]

Closed: [A,S,F]

Current: Bucharest

Open: [O,R,T,Z]

Closed: [B,A,S,F]



Solution: [A->S, S->F, F->B]

Cost: 450

# Romania - DFS (reversed order)

For DFS: Order of expansion can have a big impact on number of nodes explored, and the final path returned!

Arad  
[Z,T,S]  
[A]

Rimnicu Vilcea  
[P,C,F,T,S]  
[A,Z,O,S,R]

Zerind  
[O,T,S]  
[A,Z]

Pitesti  
[C,B,C,F,T,S]  
[A,Z,O,S,R,P]

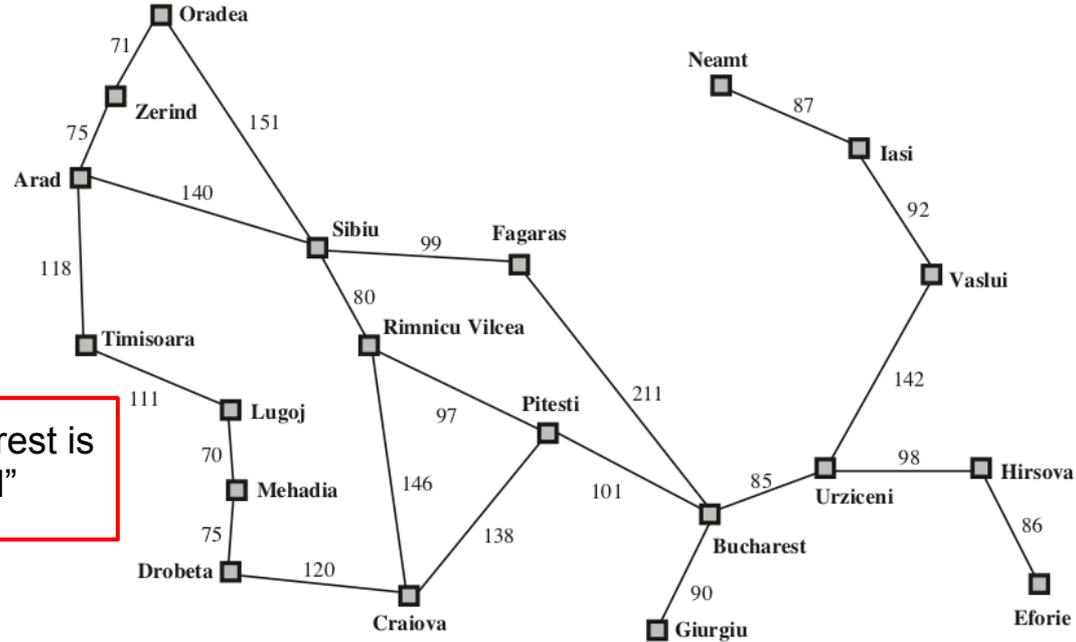
Oradea  
[S,T,S]  
[A,Z,O]

Craiova  
[D,B,C,F,T,S]  
[A,Z,O,S,R,P,C]

Sibiu  
[R,F,T,S]  
[A,Z,O,S]

Drobeta  
[M,B,C,F,T,S]  
[A,Z,O,S,R,P,C,D]

Bucharest is  
"buried"



Solution (eventually): [A->Z, Z->O, O->S, S->R, R->P, P->B]  
Cost: 575

# Romania - BFS

Arad  
[**S**,T,Z]  
[A]

Fagaras  
[O,R,L,O,**B**]  
[A,S,T,Z,F]

Sibiu  
[T,Z,**F**,O,R]  
[A,S]

Oradea  
[R,L,O,B]  
[A,S,T,Z,F,O]

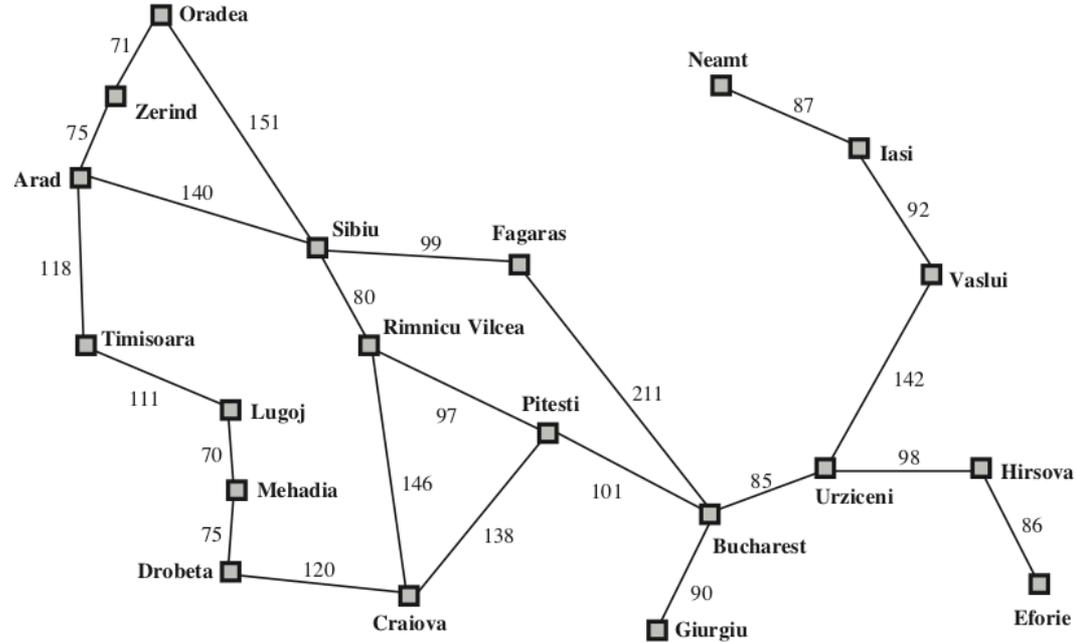
Timisoara  
[Z,F,O,R,L]  
[A,S,T]

Rimnicu Vilcea  
[L,O,B,**C**,P]  
[A,S,T,Z,F,O,R]

Zerind  
[F,O,R,L,**O**]  
[A,S,T,Z]

Lugoj  
[O,B,C,P,**M**]  
[A,S,T,Z,F,O,R,L]

Bucharest  
[C,P,M,**G**,U]  
[A,S,T,Z,F,R,L,O,B]



Solution: [A->S, S->F, F->B]  
Cost: 450

# Romania - UCS

Arad (0)

[Z(75), T(118), S(140)]

[A]

Zerind (75)

[T(118), S(140), O(146)]

[A,Z]

Timisoara (118)

[S(140), O(146), L(229)]

[A,Z,T]

Sibiu (140)

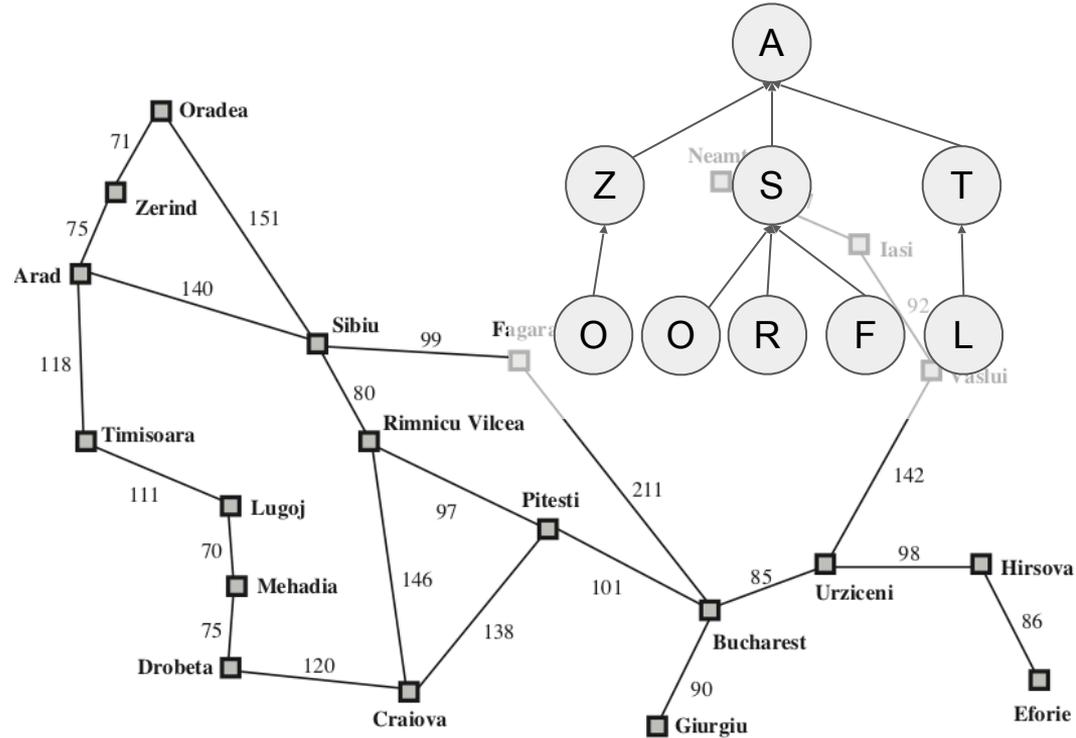
[O(146),R(220),L(229),F(239),O(291)]

[A,Z,T,S]

Oradea (146)

[R(220),L(229),F(239),O(291)]

[A,Z,T,S,O]



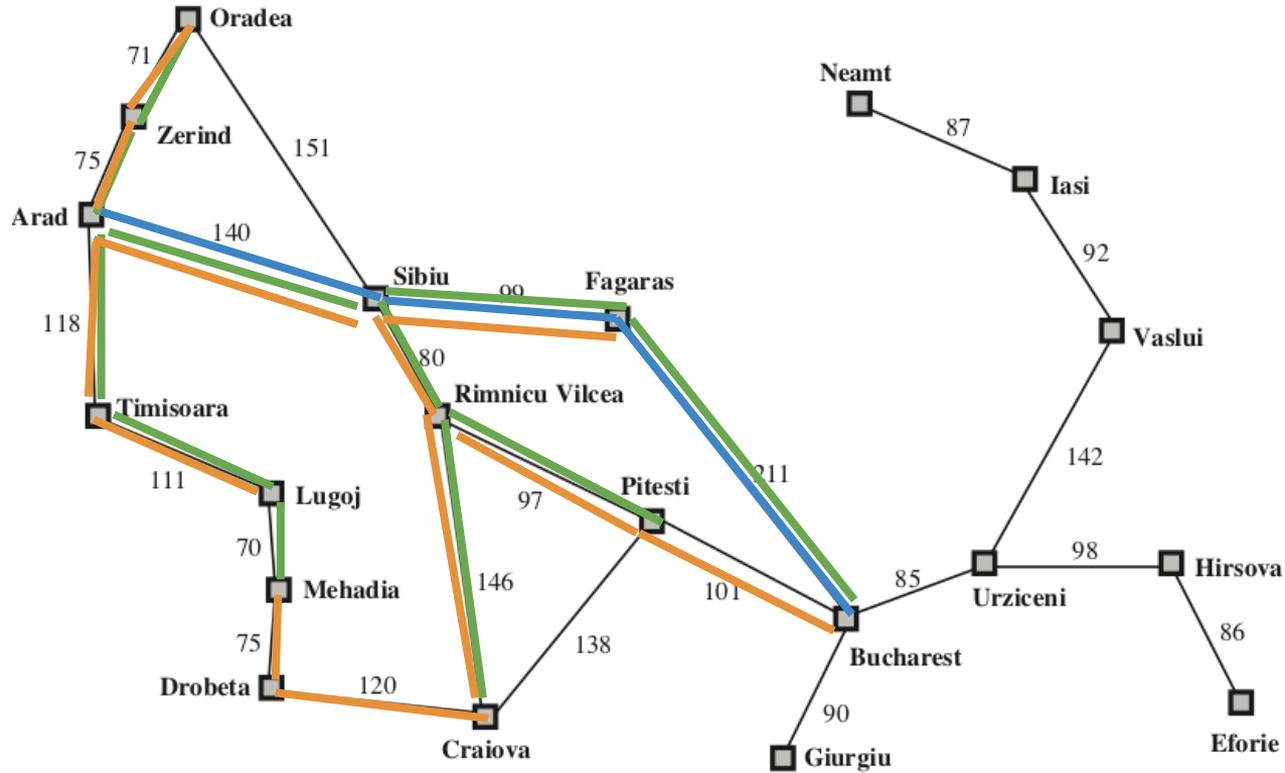




# Comparing DFS, BFS, and UCS

- DFS was highly dependent on the order that child nodes were explored
- BFS took more iterations than DFS, but less than UCS and DFS-reverse-order
- DFS and BFS both found the same (sub-optimal solution)
- UCS found the best solution, but took as long as DFS-reverse-order

How can we improve?



# Uninformed vs Informed Search

## Uninformed Search

- Does not use any domain specific knowledge
- Only looks at **edges** and **edge costs**, the problem is completely abstract
- We can find the optimal path (UCS) but it might take a long time to compute

## Informed Search

- Formally represent domain knowledge that can **guide** the search in “good” directions
- Leverage the optimality and completeness guarantees from UCS if possible

# A\* Search preview

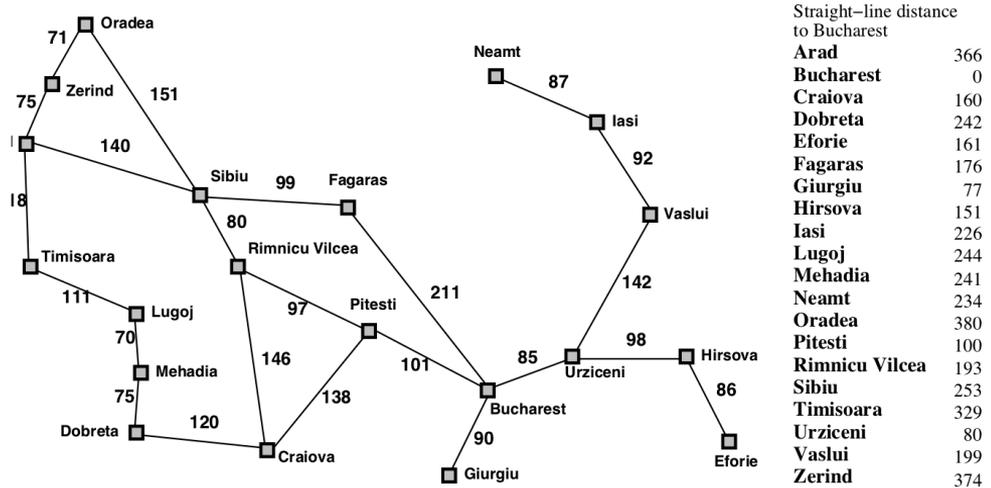
Something like UCS, but with a little “hint” about the right direction to go

Priority queue with priority  
 $f(s) = g(s) + h(s)$

$h(s)$ : “Heuristic” function, that estimates the cost-to-go from  $s$

Note:  $h(s)$  should be easier to compute than solving the original problem!

Romania with step costs in km



# Summary and preview

## Wrapping up

- We can implement DFS, BFS, and UCS with a **single algorithm**, and choose the behavior we want by picking the appropriate data structure
- Examples of applying search

## For next time

- A\* Search
- Admissibility, Consistency, and Optimality